## KENDRIYA VIDYALAYA SANGATHAN BENGALURU REGION

CLASS: IX
SUMMATIVE ASSESSMENT II (MARCH) 2013-14 MATHEMATICS

SET: 1

MAX.MARKS: 100
TIME: $3 \frac{1}{2}$ HOURS

MARKING SCHEME

|  | SECTION:A | MARKS |
| :---: | :---: | :---: |
|  | 1) (C) Infinitely many solutions $\quad$ 2) (D) $120^{\circ}$ | EACH 1 MARK |
|  | 3) (D) $\frac{32}{3} \pi r 3$ 4) (A) 1 |  |
|  | SECTION:B |  |
| 5) | Any two correct solutions | Each 1 mark |
| 6) | Let the cost of note book $=x$, the cost of a pen $=y$ | 1 |
|  | Liner equation : $x=2 y$ (or) $x-2 y=0$ | 1 |
| 7) | Correct figure | 1/2 |
|  | Since $A C$ bisects $L A$ and $L$ C in rectangle $A B C D, L 1=L 2=L 3=L 4$ then $A D=C D$ | 1 |
|  | Thus $A B C D$ is a square, so BD bisects LB as well as LD | 1/2 |
| 8) | OM $\perp \mathrm{BC}, \mathrm{BM}=\mathrm{CM} . . . . . . .(1)$ | 1 |
|  | OM $\perp A D, A M=D M . . . . . . .(2)$ Perpendicular from centre bisects the chore |  |
|  | Subtracting (1) and (2) AM - BM = DM -CM , AB = CD | 1 |
| 9) | Correct figure | 1/2 |
|  | In II gm ABCD , L A = LC .....(1) opposite angles of a II gm , |  |
|  | $L A+L C=180^{\circ} \quad$ opposite angles of a cyclic quadrilateral |  |
|  | $L A+L A=180^{\circ}$ from......(1) |  |
|  | $2 L A=180^{\circ}, L A=90^{\circ}$ | 1 |
|  | Therefore ABCD is a rectangle (in a II gm one of whose angles is $90^{\circ}$, is a rectangle) | 1/2 |
| 10) | Radius of the cylindrical kaleidoscope $=3.5 \mathrm{~cm}$ |  |
|  | Height of kaleidoscope (h) = 25cm | 1 |
|  | Area of chart paper required =curved surface area of a cylindrical kaleidoscope |  |
|  | $=2 \pi r h=2 \times 22 / 7 \times 3.5 \times 25=550 \mathrm{~cm} 2$ | 1 |
|  | SECTION:C |  |
| 11) | Any two correct solutions | 1 each |
|  | Infinitely many, Through a point infinite lines can be drawn | $1 / 2$ each |
| 12) | $A B C D$ is II gm ,D C IIAB Transversal BD intersects them at B and D | 1/2 |
|  | Therefore LABD = LBDC alternate interior angles |  |
|  | In $\triangle$ APB and $\triangle C Q D$, |  |
|  | $L A B P=L Q C D \quad$ (since $L A B D=L B D C)$ |  |
|  | LAPB = LCQD (Each 90 ${ }^{\circ}$ ) |  |
|  | $A B=C D$ ( OPP. Sides of a II gm) |  |
|  | Therefore $\triangle A P B \cong \triangle C Q D(B y ~ A A S ~) ~$ | 2 |
|  | $A P=C Q \quad(B Y C P C T)$ | 1/2 |
|  |  |  |
| 13) | Let BD Intersect EF at G | 1/2 |
|  | In $\triangle$ DAB, $E$ is a mid -m point and E G IIAB |  |
|  | Then $G$ is the mid -point of DB ( By converse of mid-point theorem) | 2 |
|  | In $\triangle B C D, G$ is the mid-point of BD and GFIIDC |  |
|  | So, $F$ is the mid-point of BC (By converse of mid-point theorem) | 1/2 |
|  |  |  |
|  |  |  |


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| 14) | $B C E D$ is a II gm, BD =CE and BDII CE |  |
|  | $\operatorname{Ar}(\mathrm{DBC})=\operatorname{ar}(E B C) . . . . . . .(1) \quad$ (Having same base BC and between the same IIs) | 1 |
|  | In $\triangle A B C, B E$ is the median so $\operatorname{ar}(E B C)=1 / 2 \operatorname{ar}(A B C)$ | 1 |
|  | $\operatorname{Ar}(A B C)=\operatorname{ar}(E B C)+\operatorname{ar}(A B E), \operatorname{ar}(A B C)=2 \operatorname{ar}(E B C), \operatorname{ar}(A B C)=2 \operatorname{ar}(D B C) \quad$ FROM (1) | 1 |
| 15) | Given , to prove, correct figure | 1 |
|  | Correct proof | 2 |
| 16) | Construction of a required figure with correct measurements | 3 |
| 17) | Perimeter of a floor 2(I+b) $=260,1+b=130$ | 1/2 |
|  | Surface area of four walls $2 \mathrm{~h}(1+b)=2 \times 6 \times 130=1560 \mathrm{~m} 2$ | 1 |
|  | Cost of painting $=$ Rs (1560x 9 ) =Rs 14040 | 1/2 |
|  | Values depicted are co-operation ,concern etc | 1 |
| 18) | Median is average of $5^{\text {th }}$ and $6^{\text {th }}$ terms | 1 |
|  | $\frac{x+(x+2)}{2}=63, x=62$ | 2 |
| 19) | Arranging the data in ascending order | 1 |
|  | Making table of class interval (11-20, 21-30 etc), tally marks and frequency | 2 |
| 20) | i) More than 40 seeds $=3$, probability $=3 / 5$ | 1 |
|  | ii) 40 seeds in a bag $=0$, probability $=0$ | 1 |
|  | iii) More than 35 seeds $=5$, probability $=5 / 5=1$ | 1 |
|  | SECTION: D |  |
| 21) | Table of three ordered pairs | 1 |
|  | Plotting the points on graph and drawing the graph | 2 |
|  | The line cut the $x$-axis at ( 6,0 ) and $y$-axis at ( 0,4 ) | 1 |
| 22) | $2 x+9=0, x=-9 / 2$ Or (-4.5), drawing number line on a graph and locating (-4.5) on it | 2 |
|  | Equation in two variables is $2 x+0 . y+9=0$ | 1/2 |
|  | Plotting points on a graph using three ordered pairs | $1 \frac{1}{2}$ |
| 23) | Given, to prove ,construction correct figure | 2 |
|  | proof | 2 |
| 24) | Correct figure | 1/2 |
|  | In $\triangle A B C, F$ is the mid-point of side $A B$ and $E$ is the mid-point of side $A C$ |  |
|  | So E F II BD ( by mid-point theorem) , similarly ED II FB |  |
|  | Hence BDEF is a II gm , similarly we can prove that AFDE and FDCE are II gm s | 1 |
|  | Since FD is a diagonal of II gm BDEF , ar(FBD) =ar(DEF)............(1) |  |
|  | Similarly ar(FAE) = ar(DEF).................................................(2) |  |
|  |  | 1 |
|  | From 1, 2 and 3 |  |
|  | $\operatorname{ar}(F B D)=\operatorname{ar}(F A E)=\operatorname{ar}(\mathrm{DCE})=\operatorname{ar}(\mathrm{DEF})$ |  |
|  | Therefore $\operatorname{ar}(A B C)=4 \operatorname{ar}(\mathrm{DEF})$ |  |
|  | $\Rightarrow \operatorname{ar}(\mathrm{DEF})=1 / 4 \operatorname{ar}(\mathrm{ABC})$ | $1 \frac{1}{2}$ |
|  |  |  |
| 25) | LCED + LCEB $=180^{\circ}$ (Linear pair) |  |
|  | LCED + $130^{\circ}=180^{\circ}$, LCED $=180^{\circ}-130^{\circ}=50^{\circ}$ | 1 |
|  | In $\triangle E C D, L E D C+L C E D+L E C D=180^{\circ}$ (ASP of a $\triangle l e$ ) |  |
|  | $L E D C+50^{\circ}+L 20^{\circ}=180^{\circ}$, LEDC $=180^{\circ}-70^{\circ}=110^{\circ}$ | 2 |
|  | LBDC $=$ LEDC $=110^{\circ}$ ( Angles in the same segment) |  |
|  | $\angle B A C=\angle B D C=110^{\circ}$ | 1 |


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| :---: | :---: | :---: |
| 26) | For Correct construction | 3 |
|  | Steps of construction | 1 |
| 27) | Diameter $=10.5 \mathrm{~m}$, Height $=3 \mathrm{~m}$ |  |
|  | Volume of $a$ heap $=\frac{\pi r 2 h}{3} \quad=\frac{22 \times 10.5 \times 10.5 \times 3}{3 \times 7 \times 4}=86.625 \mathrm{~m}^{3}$ | 2 |
|  | Slant height $l^{2}=h^{2}+r^{2}=(3)^{2}+\left(\frac{10.5}{2}\right)^{2} \quad l=6.05 m$ | 1 |
|  | $\text { Area of required canvas }=\pi r l=\frac{22}{7} \times \frac{10.5}{2} \times 6.05=99.825 \mathrm{~m}^{2}$ | 1 |
| 28) | Radius of a bowl $=7 / 2=3.5 \mathrm{~cm}$ |  |
|  | Height of a bowl $=4 \mathrm{~cm}$ |  |
|  | Volume of soup for 1 patient $=\pi r^{2} h=22 / 7 \times 3.5 \times 3.5 \times 4 \quad=154 \mathrm{~cm}^{3}$ | 1 |
|  | $\begin{aligned} & \begin{array}{l} \text { Volume of a soup for } 250 \text { patients }=250 \times 154 \mathrm{~cm}^{3}=38500 \mathrm{~cm}^{3}=38500 / 1000 \quad\left(11=1000 \mathrm{~cm}^{3}\right) \\ =38.51 \end{array} \end{aligned}$ | 2 |
|  | Value is a person is kind hearted, caring ect. | 1 |
| 29) | Let the height of the water level in a vessel be $h \mathrm{~cm}$ |  |
|  | Volume of the rain water $=(600 \times 400 \times 1) \mathrm{cm}^{3}$ |  |
|  | Volume of water in the vessel $=\pi(20)^{2} \times \mathrm{h} \mathrm{cm}{ }^{3}$ | 1 |
|  | According to the problem, $(600 \times 400 \times 1) \mathrm{cm}^{3}=\pi(20)^{2} \times \mathrm{h} \mathrm{cm}{ }^{3}$ | 2 |
|  | Height of the water level $=(600 \times 400 \times 1) /(3.14 \times(20) 2)=191 \mathrm{~cm}$ | 1 |
| 30) | Preparing table of class marks and frequency tables of section A and B | 1 |
|  | Drawing of frequency polygons in one graph | $11 / 2$ each |
| 31) | Let the number of boys $=x$, then the number of girls $=180-x$ | 1/2 |
|  | Total weight of the students = weight of boys $=$ weight of girls |  |
|  | $180 \times 50=(60 \times x)+(180-x) \times 45$ | $1 \frac{1}{2}$ |
|  | $9000=60 x=8100-45 x$ |  |
|  | $60 x-45 x=900, x=60$ | 1 $\frac{1}{2}$ |
|  | No. of boys $=60$ no. of girls $=180-60=120$ | 1/2 |
|  |  |  |
|  | SECTION: E |  |
|  | Theme-I (Planning a garden) (4+4+2) <br> a) <br> Length along horizontal axis $=42$ feet <br> Length of each pot $=18$ inches $=\frac{3}{2}$ feet <br> Number of pots which can be placed along horizontal $=2 \times 42 \times \frac{2}{3}=56$ <br> Length along vertical axis $=\mathbf{2 8}$ feet <br> Number of pots which can be along vertical $=2 \times 28 \times \frac{2}{3}=36$ (app.) <br> Total pots $=56+36=92$ <br> Cost of pots $=92 \times 250=$ Rs. 23000 <br> Cost of plants = 92×30 = Rs. 2760 <br> b) $(14,0),(56,0),(56,21),(70,21),(70,49),(56,49),(56,70),(14,70),$ <br> $(14,49),(0,49),(0,21)$ and $(14,21)$ <br> c) <br> Minimum four hours of sunlight |  |

